# A QSAR Modeling on Aurone Derivatives as Antimalarial Agents 

R. Hadanu<br>Department of Chemistry Education, Faculty of Teacher Training and Education Science, Sembilanbelas November Kolaka University, Sulawesi Tenggara 93517, Indonesia<br>Corresponding author: E-mail: ruslinhadanu@gmail.com


#### Abstract

A quantitative structure activity relationship (QSAR) analysis was performed on several aurones and its derivatives (1-16) and 17-21 compounds were used as internal and external tests, respectively. For aurone compounds, QSAR analysis has not been conducted. The semi-empirical PM3 method of HyperChem for Windows 8.0 was used to optimise the aurone derivative structures to acquire descriptors. For 15 influential descriptors, the multilinear regression MLR analysis was conducted by employing the backward method, and four new QSAR models were obtained. According to statistical criteria, model 2 was the optimum QSAR model for predicting the inhibition concentration $\left(\mathrm{IC}_{50}\right)$ theoretical value against novel aurone derivatives. The modelling of 40 (22-61) aurone compounds was achieved. Six novel compounds $\left(\mathbf{5 4}, \mathbf{5 5}, \mathbf{5 8}, 59,60\right.$ and $\mathbf{6 1}$ ) were synthesized in a laboratory because the $\mathrm{IC}_{50}$ of these compounds was lower than that of chloroquine $\left(\mathrm{IC}_{50}\right.$ $=0.14 \mu \mathrm{M})$.


Keywords: QSAR, Modeling, Aurone, MLR, Antimalarial activity.

## INTRODUCTION

Currently, in 91 countries, malaria is a global health problem, especially in the tropical and subtropical regions [1] with reported 219 million cases in 2017. In Southeast Asia and particularly in Indonesia 10,950,000 and 4,380,000, respectively, malaria cases were reported [2]. Parasites have become highly resistant to malaria drugs including Plasmodium falciparum has become resistant towards chloroquine $[3,4]$. Apart from this problem of resistant towards antimalarial drugs, as a malaria vector, mosquito resistance has emerged [5].

Antimalarial drugs have been attempted to be developed by using a variety of organic compound derivatives and by isolating natural products, such as artemisinin derivative compounds [6], phenanthroline compound derivatives [7], new aurone compounds [8], derivatives of quinoline compounds [ $1,9,10$ ], triazine compounds [11], xanthone derivative compounds [12], benzothiazole derivatives [13], mangosteen compounds [14], flavone derivatives [15], chalcone derivatives [16], 1-(4-methylphenyl)-2,5-dimethylpyrrole derivatives [17], berberine-[1,2,3]-triazole derivative compounds [18], acyloxybenzyl and alkoxyalkyl derivatives [19], 2-pyrazoyl quinolone
derivative compounds [20], Periploca linearifolia extract [21], compounds of marine sponge Hyrtios erectus [22] and Croton macrostachyus stem bark extracts [23]. The antimalarial activities of the compounds of polyoxygenated cyclohexene acquired from the roots of Uvaria cherrevensis plant [24] that have fucosterol compounds [25] been studied. The antimalarial activity acquired through Streptomyces asterosporus isolation was also tested [26]. The activity of the aforementioned natural products and organic compounds as an antimalarial drug is lower than that of chloroquine.

Currently, many drugs are developed through computer assistance by using the QSAR analysis. QSAR can be used to predict quantitative relationships between the biological activities and the descriptions of physical and chemical properties of compounds. The analysis of QSAR is based on the Hansch, the type of employed parameter, the comparative molecular field analysis (CoMFA) or QSAR-3D and the Free-Wilson [27]. The QSAR analysis was performed on the series of aurone compounds to acquire new compounds having antimalarial activity higher than the antimalarial activity of chloroquine drugs.

## EXPERIMENTAL

In this study, 21 aurone derivative compounds were synthesized and tested for antimalarial activity in the laboratory as method reported by Carrasco et al. [8]. Table-1 presents the structure of derivatives of the aurone compound. Tables 2 and 3 present the $\mathrm{IC}_{50}$ of 16 internal test compounds as dependent variables and that of 5 external test compounds, which are aurone derivatives [8]. HyperChem 8.0 for Windows software and computer hardware tools (a Sony Vaio Laptop equipped with an Intel Dual Core Processor 2.20 GHz; 500 GB HDD, 1 GHz RAM) were employed in the QSAR analysis to obtain 3D structures and to optimize the geometry of external test compounds (compounds $\mathbf{1 7 - 2 1}$ ) and fitting compounds (compounds 1-16) and to model the structure of the derivatives of aurone compound (compounds 22-61). By employing SPSS 19.0 for Windows software, the MLR analysis was conducted to acquire the equation model of QSAR.

Calculation of descriptors: The 3D structure of all the compounds of internal test (1-16), external test (17-21) and derivative model of aurone (22-61) were obtained using HyperChem 8.0 for Windows software and then optimized to acquire a highly stable structure conformation for aurone compounds. To optimize structure, the Polak-Ribiere algorithm or the peer
gradient and semi-empirical parameterised model 3 (PM3) method were used with a ground-state root mean square value of $0.001 \mathrm{kcal} /(\AA \mathrm{mol})$. The descriptor data obtained using a single point menu provided the descriptors as dipole moment $(\mu)$, atomic net charge, Log P and polarisability ( $\alpha$ ). Еномо and $\mathrm{E}_{\text {Lumo }}$ descriptors were acquired from the orbital and compute menus. Table-2 presents the descriptor data; Table-4 presents the coefficients of independent variables and constants of 4 QSAR equation models. Rajkhowa et al. [28] selected the descriptors according to their type to perform the QSAR analysis on artemisinin compounds to use them as antimalarial drugs.

QSAR analysis using MLR method: The experimentally obtained $\mathrm{IC}_{50}$ value is the dependent variable (Table-2). By contrast, dipole moment ( $\mu$ ), atomic net charges, $\mathrm{E}_{\text {номо }}, \mathrm{E}_{\mathrm{LUMO}}$, $\log P$ and polarizability $(\alpha)$ (Table-2), which were analyzed through MLR to determine descriptors that influence the activity of the derivatives of aurone, are independent variables. The MLR analysis of antimalarial activity and numerous descriptors was conducted in 2 steps. First, the MLR analysis of 21 descriptors ((qO1, qC2, qC3, qC4, qC5, qC6, qC7, qC8, qC9, qC10, $\mathrm{qC}^{\prime}$, qC2', qC3', qC4', qC5', qC6', $\mathrm{E}_{\text {номо }}$, $\mathrm{E}_{\mathrm{Luмо}}$, dipole moment $(\mu), \log P$, and polarizability $(\alpha))$ was conducted, which provided an equation of model QSAR. In the first stage of the analysis, the equation model of QSAR provided 15
CHEMICAL STRUCTURE AND ACTIVITY DATA OF ANTIMALARIAL COMPOUNDS OF
AURONE DERIVATIVES OBTAINED FROM CARRASCO et al. [8]

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descriptors（ $\mathrm{qO} 1, \mathrm{qC} 2, \mathrm{qC6}, \mathrm{qC}^{\prime}, \mathrm{qC}^{\prime}, \mathrm{qC}^{\prime}, \mathrm{qC}^{\prime}, \mathrm{qC}^{\prime}, \mu$ ， $\mathrm{E}_{\text {номо，}} \mathrm{E}_{\text {Luмо }}, \log \mathrm{P}$ and $\alpha$ ），which greatly affect the anti－ malarial activity．In the second stage，the descriptors that affec－ ted the first stage were analyzed and 4 equation models of

QSAR were obtained．Table－5 presents the prediction residual Error number of square（PRESS）and the values of statistical parameters，such as $r^{2}$ ，$r$ ，SE， $\mathrm{F}_{\text {calculate }} / \mathrm{F}_{\text {table }}$ and $\mathrm{t}_{\text {calculate }} / \mathrm{t}_{\text {table }}$ ，for the four equation models of QSAR．Through the MLR analysis，

| TABLE-3 <br> $\log \mathrm{IC}_{50}$ EXPERIMENTS AND $\log \mathrm{IC}_{50}$ THEORETICAL FOR AURONE DERIVATIVE EXTERNAL TEST COMPOUNDS |  |  |
| :---: | :---: | :---: |
|  |  |  |
|  |  |  |
| Compd | $\log \mathrm{IC}_{50}$ experiment | $\log \mathrm{IC}_{50}$ calculated |
| 17 | 0.48 | 0.43 |
| 18 | 0.60 | 0.58 |
| 19 | 0.07 | 0.10 |
| 20 | 0.52 | 0.52 |
| 21 | 0.54 | 0.61 |

the value of a constant was obtained. To calculate the theoretical $\mathrm{IC}_{50}$ activity of the derivatives of aurone compounds, the coefficients of all independent variables that were involved in QSAR equations were employed. Furthermore, PRESS values were obtained by using the square of difference between the experimental and theoretical $\mathrm{IC}_{50}$ values. To determine the predictive ability and validity of all the equation models of QSAR, acquired PRESS value was employed.

Design of new aurone derivatives as antimalarials: To obtain new compounds having antimalarial drugs, the analysis was performed using a design of the aurone derivatives having a higher antimalarial activity than that activity of previously reported compounds. New aurone compounds were designed by changing the positions and types of functional groups/atoms present in the structural skeleton of aurone compounds. Mainly at the active central region the locations and types of functional groups/atoms were changed with the consideration of the synthesis feasibility in a laboratory. Functional group or atoms are the descriptors, which predominantly affected the antimalarial activity of the novel derivatives of aurone. To calculate descriptors for test compounds and for the modelled novel
aurone derivatives (Table-6), the same method was used. The theoretical $\mathrm{IC}_{50}$ of designed compounds was calculated using the optimum QSAR equation.

## RESULTS AND DISCUSSION

The QSAR analysis was performed in the following stages: (i) determination of the basic framework of all the derivatives of aurone with $\mathrm{IC}_{50}$ values [8], (ii) structure optimization of the derivatives of aurone, (iii) descriptor (independent variables) selection, (iv) calculations of descriptors, (v) bivariate analysis, (vi) MLR, (vii) determination of the optimal QSAR equation, and (viii) modelling of the novel derivatives of aurone.

As ingredients, aurone compounds had two criteria: (i) all aurone compounds, namely fitting, external test and modelled compounds, must exhibit a basic homologous structure, and (ii) these compounds must exhibit $\mathrm{IC}_{50}$ values higher than those obtained from laboratory experiments. The structures of external test, fitting and modelled compounds were optimized using the same method that was employed to acquire the conformational structure with the lowest energy. The 3D molecular structure was considered stable if it had the smallest energy profile. Descriptors were obtained under these conditions for the QSAR analysis. In QSAR analysis, a bivariate analysis was conducted to estimate the relationship among variables.

During the analysis of bivariate correlation, correlations between dipole moment ( $\mu$ ), atomic net charge variables, $\mathrm{E}_{\text {номо }}-\mathrm{E}_{\text {Luмо }}, \log \mathrm{P}$, polarizability $(\alpha)$, and $\log \mathrm{IC}_{50}$ were obtained. An absolute value existed for the correlation that approached the number -1 or 1 , which indicated that 1 exhibited a positive correlation and strong relationship. By contrast, -1

TABLE-4
CONSTANTS AND COEFFICIENTS OF SELECTED INDEPENDENT VARIABLES FOR FOUR QSAR MODEL

| QSAR models | Coefficient of independent variables |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | O1 | C2 | C3 |  | C6 |  | C7 | C10 | C2' |
| 1 | -283.108 | 290.260 | -303.352 |  | -9.958 |  | -21.199 | 220.476 | -28.201 |
| 2 | -294.829 | 294.933 | -311.852 |  | -9.843 |  | -21.497 | 224.908 | -26.997 |
| 3 | -305.420 | 286.177 | -317.629 |  | -10.353 |  | -22.172 | 216.926 | -27.555 |
| 4 | -297.632 | 232.205 | -304.444 |  | -9.881 |  | -21.391 | 176.691 | -20.746 |
| QSAR models | Coefficient of independent variables |  |  |  |  |  |  |  | Constants |
|  | C3' | C4' | C6' | M |  | $\mathrm{E}_{\text {LUMO }}$ | $\mathrm{E}_{\text {номо }}$ | $\log \mathrm{P}$ |  |
| 1 | -0.980 | 9.201 | 12.035 | 0.167 |  | 2.101 | 0.010 | 0.235 | 116.961 |
| 2 | - | 9.608 | 11.868 | 0.186 |  | 2.155 | 0.007 | 0.254 | 119.652 |
| 3 | - | 10.344 | 9.557 | 0.225 |  | 2.303 | - | 0.261 | 119.465 |
| 4 | - | 10.623 | - | 0.237 |  | 2.320 | - | 0.206 | 109.160 |

TABLE-5

## FOUR SELECTED MODELS AND THEIR STATISTICAL PARAMETERS

| QSAR models | Variables | r | $\mathrm{r}^{2}$ | Adjusted R square | SE | $\begin{aligned} & \hline \mathrm{t}_{\text {cald }} / \mathrm{t}_{\mathrm{tab}} \\ & (0.05) \\ & \hline \end{aligned}$ | $\begin{gathered} \hline \mathrm{F}_{\text {call }} / \mathrm{F}_{\text {table }} \\ (0.05) \end{gathered}$ | PRESS |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | $\begin{aligned} & \text { qO1, qC2, qC3, qC6, qC7, qC10, qC2', qC3', } \\ & \text { qC4', qC6', } \mu, \mathrm{E}_{\text {Lumo }}, \mathrm{E}_{\text {Homo }} \text {, and } \log \mathrm{P} \end{aligned}$ | 0.998 | 0.995 | 0.932 | 0.055 | 2.046 | 0.806 | 230.253 |
| 2 | $\begin{aligned} & \text { qO1, qC2, qC6, qC7, qC10, qC2', qC3', qC4', } \\ & \mathrm{qC}^{\prime}, \mu, \mathrm{E}_{\text {Lumo }}, \mathrm{E}_{\text {Homo }} \text {, and Log P } \end{aligned}$ | 0.996 | 0.992 | 0.940 | 0.052 | 3.096 | 2.206 | 6.505 |
| 3 | $\begin{aligned} & \text { qO1, qC2, qC6, qC7, qC10, qC2', qC3', qC4', } \\ & \text { qC6', } \mu, \mathrm{E}_{\text {Lumo }} \text {, and Log P } \end{aligned}$ | 0.988 | 0.976 | 0.881 | 0.077 | 2.519 | 1.726 | 19.859 |
| 4 | $\begin{aligned} & \mathrm{qO1} 1, \mathrm{qC} 2, \mathrm{qC} 6, \mathrm{qC7}, \mathrm{qC} 10, \mathrm{qC}^{\prime}, \mathrm{qC}^{\prime}, \mathrm{qC}^{\prime} \text {, } \\ & \mu, \mathrm{E}_{\text {Lumo }} \text {, and } \log \mathrm{P} \end{aligned}$ | 0.982 | 0.965 | 0.867 | 0.073 | 2.711 | 2.081 | 128.851 |

was considered to exhibit a powerful and negative correlation. The count value for the Pearson correlation $r$ among descriptors confirmed a close correlation among the descriptors: qO1-qC3 (-0.768), qO1-Log P (0.731), qC2-qC10 (-0.960), qC2-qC11 (0.853), qC2-qC5' (0.728), qC2-E $\mathrm{E}_{\text {Luмо }}(-0.635), ~ \mathrm{qC} 3-\mathrm{qC} 4(0.745)$, qC3-qC5 (-0.804), qC3-qC8 (0.677), qC3-qC9 (-0.724), qC4qC5 (-0.804), qC3-qC8 (0.677), qC3-qC9 (-0.724), qC4-qC5 (-0.804), qC3-qC8 (0.677), qC3-qC9 (-0.724), qC4-qC5 (-0.993), qC4-qC6 (0.888), qC4-qC7 (-0.934), qC4-qC8 (0.983), qC4-qC9 (-0.998), qC5-qC6 (-0.884), qC5-qC7 (0.893), qC4qC9 (-0.998), qC5-qC6 (-0.884), qC5-qC7 (0.893), qC5-qC8 ( -0.962 ), qC5-qC9 (0.991), qC6-qC7 ( -0.777 ), qC6-qC8 (0.842), qC6-qC9 (-0.909), qC7-qC8 (-0.980), qC7-qC9 (0.842), qC6qC9 (-0.909), qC7-qC8 ( -0.980 ), qC7-qC9 (0.830), qC6-qC9 ( -0.909 ), qC7-qC8 ( -0.980 ), qC7-qC9 ( 0.930 ), qC8-qC9 ( -0.980 ), $\mathrm{qC} 1^{\prime}-\mathrm{qC} 2^{\prime}(-0.751), \mathrm{qC1}^{\prime}-\mathrm{qC} 3^{\prime}(0.704), \mathrm{qC1}^{\prime}-\mathrm{qC} 4^{\prime}(-0.617)$, $\mathrm{qC1} 1^{\prime}-\mathrm{qC} 5^{\prime}(0.949), \mathrm{qC1}^{\prime}-\mathrm{qC} 6^{\prime}(-0.765), \mathrm{qC}^{\prime}-\mathrm{qC} 4^{\prime}(0.664)$, $\mathrm{qC} 2^{\prime}-\mathrm{qC} 4^{\prime}(-0.731), \mathrm{qC}^{\prime}-\mathrm{qC} 5^{\prime}(0.766), \mathrm{qC}^{\prime}-\mathrm{qC} 4^{\prime}(-0.632)$, $\mathrm{qC}^{\prime}-\mathrm{qC} 5^{\prime}$ (0.715), qC4'-qC5' (-0.600), qC4'-qC6' (0.740), $\mathrm{qC} 5^{\prime}-\mathrm{qC} 6^{\prime}(-0.785), \mu$ - $\mathrm{E}_{\mathrm{LUмо}}(-0.839), \mu$ - Номо $(0.627$ ) and $\mathrm{E}_{\text {Luмо }}-\mathrm{E}_{\text {номо }}(-0.611)$. The calculated values of bivariate correlation among the aforementioned descriptors were always higher than the $\mathrm{r}_{\text {table }}$ values ( 0.623 ) for the n of 16 ; thus, these descriptors exhibited a strong relationship at 0.01 (1\%) significance level. The negative and positive values indicate the direction of the influence of descriptors on the activity and not whether the descriptors influence the activity. The coefficient of bivariate correlation among $\mathrm{qC} 5-\mathrm{qC} 9$ was 0.991 , and it exhibited a sig value (2-tailed) of $>0.005$, which indicated that the $\mathrm{qC} 5-\mathrm{qC} 9$ variables exhibited a stronger relationship than did other variables. The smallest relationship value of 0.001 was obtained for qC 6 and $\mu$ variables, which indicated a weak relationship between qC 6 and $\mu$. According to the results of the bivariate analysis, several independent variables exist and dependent variables exhibit significant relationships. Thus, MLR can be conducted on a data group to acquire the relationship between the antimalarial activity and structure of aurone compounds. The MLR analysis of dependent and independent (descriptor) ( $\log \mathrm{IC}_{50}$ ) variables provided four equation models of QSAR. According to the statistical parameter criteria in Table-5, model 2 equation of QSAR was the best optimal QSAR equation.
$\log \mathrm{IC}_{50}=119.652-294.829(\mathrm{qO} 1)+294.933(\mathrm{qC} 2)-$ $311.852(\mathrm{qC} 3)-9.843(\mathrm{qC} 6)-21.497(\mathrm{qC} 7)+224.908(\mathrm{qC10})$ $-26.997\left(\mathrm{qC}^{\prime}\right)+9.608\left(\mathrm{qC} 4^{\prime}\right)+11.868\left(\mathrm{qC}^{\prime}\right)+0.186(\mu)+$ $2.155\left(\mathrm{E}_{\text {LUмо }}\right)+0.007\left(\mathrm{E}_{\text {номо }}\right)+0.254(\log \mathrm{P})$.

The statistical criteria for the model 2 equation of QSAR are as follows: $(\mathrm{r})=0.996, \mathrm{n}=16,\left(\mathrm{r}^{2}\right)=0.992, \mathrm{SE}=0.052$, $\mathrm{t}_{\text {calculate }} / \mathrm{t}_{\text {table }}=3.096, \operatorname{PRESS}=6.505$, and $\mathrm{F}_{\text {calculated }} / \mathrm{F}_{\text {table }}=2.206$. The relationship linearity obtained for the predictive and experimental $\log \mathrm{IC}_{50}$ values (internal test compounds $\mathbf{1 - 1 6}$ ) evidenced the accuracy of model 2 equation of QSAR (Fig. 1). The linearity ( $r^{2}=0.993$ ) graph (Fig. 1) shows that the optimal QSAR equation, that is, the internal test model 2 , exhibits a substantially high confidence level. The closer is the $r^{2}$ value to 1 , the higher is the influence of independent variables on dependent variables. Smaller SE and PRESS values lead to a higher confidence

$\log \mathrm{IC}_{50}$ experiment
Fig. 1. Relationship of $\log \mathrm{IC}_{50}$ predictions with $\log \mathrm{IC}_{50}$ experiments
level of the equation model of QSAR [29]. By contrast, higher $\mathrm{t}_{\text {calculate }} / \mathrm{t}_{\text {table }}$ and $\mathrm{F}_{\text {calculate }} / \mathrm{F}_{\text {table }}$ values result in a higher validity of the equation model of QSAR. Table-5 indicates that the confidence level of model 2 of QSAR equation is the optimum.

The model 2 of QSAR equation was validated as optimum by employing external test compounds (17-21). These compounds were excluded from the MLR analysis for the determination of the optimal model QSAR equation. The model 2 of the QSAR equation was validated using external test compounds to determine it capacity in predicting the theoretical $\mathrm{IC}_{50}$ of the derivatives of aurone.

The $r^{2}$ value ( 0.970 ) obtained from a graph of relationship between the experimental and predicted $\log \mathrm{IC}_{50}$ (Fig. 2) was used to validate the model 2 of QSAR equation as optimal. The $r^{2}$ value ( 0.970 ) approached 1, indicating that the model 2 of the QSAR equation is optimal and valid. According to the $r^{2}$ of 0.970 , the model 2 of QSAR equation accurately predicts theoretical $\mathrm{IC}_{50}$ because the relationship between theoretical and experimental $\log \mathrm{IC}_{50}$ against the external test compound was highly significant.


Fig. 2. Relationship $\log \mathrm{IC}_{50}$ predictions with $\log \mathrm{IC}_{50}$ external compound test experiments

Design of new aurone derivatives as an antimalarial agent: The reasons for designing the derivatives of aurone are as follows: (i) to ensure that termination and retrosynthesis studies can be used to prepare new derivatives of aurone in a laboratory, (ii) to study the active sides of the homologous frameworks of aurone compounds, and (iii) to determine that
functional groups or atoms are bound to the basic framework structure using the disconnection and retrosynthesis results. Different functional groups or atoms attached to a basic aurone framework can lead to variations in chemical, physical and atomic charge properties, which changes the antimalarial activity of the studied compounds [30]. This finding was supported by the results presented in Tables 1, 2 and 5. Compounds having different structures exhibit varied antimalarial activities. The structures of different compounds of aurone exhibit different net charge of atoms, molecular and electronic properties, and descriptors, thereby providing various $\mathrm{IC}_{50}$ values.

The model 2 of QSAR indicted that as a consequence of the design, independent variables that affect the theoretical $\mathrm{IC}_{50}$ of aurone compounds include $\mathrm{qO} 1, \mathrm{qC} 2, \mathrm{qC} 3, \mathrm{qC} 6, \mathrm{qC} 7$, $\mathrm{qC10}, \mathrm{qC} 2^{\prime}$, qC4', qC6', $\mathrm{E}_{\text {номо, }} \mathrm{E}_{\text {Luмо, }} \mu$ and Log P. Aurone derivatives were designed through the substitution of functional groups or atoms on $\mathrm{C} 4, \mathrm{C} 5, \mathrm{C} 6, \mathrm{C} 7, \mathrm{C} 2^{\prime}, \mathrm{C}^{\prime}, \mathrm{C} 3^{\prime}, \mathrm{C} 5^{\prime}$ and $\mathrm{C}^{\prime}$ atoms. The substitution of various functional groups or atoms into $\mathrm{C} 4, \mathrm{C} 5, \mathrm{C} 6, \mathrm{C} 7, \mathrm{C} 2^{\prime}, \mathrm{C} 3^{\prime}, \mathrm{C} 4^{\prime}, \mathrm{C} 5^{\prime}$ and $\mathrm{C}^{\prime}$ atoms caused theoretical $\mathrm{IC}_{50}$ of aurone derivatives to be different from the $\mathrm{IC}_{50}$ of the modelled compounds (Table-6). Theoretical $\mathrm{IC}_{50}$ was calculated by entering descriptors, such as atomic charge, into the model 2 of the QSAR equation. New aurone derivatives having smallest $\mathrm{IC}_{50}$ exhibited the highest antimalarial activity. Aurone derivatives with a promising antimalarial activity were synthesized in the laboratory.

Several derivatives of aurone, which were acquired through modelling and exhibited smaller $\mathrm{IC}_{50}$ than $\mathrm{IC}_{50}$ of chloroquine $(0.14 \mu \mathrm{M})$, were proposed to be prepared in the laboratory. Six aurone derivatives are recommended to be synthesized, which are compound $54,55,58,59,60$ and 61 with an $\mathrm{IC}_{50}$ of $0.0002,0.0001,0.0527,0.0527,0.0054$ and $0.0076 \mu \mathrm{M}$, respectively. By contrast, compounds 22-53, 56 and 57 are not recommended for laboratory synthesis because they exhibit a high antimalarial activity. A compound recommended for synthesis is the derivative of aurone with the activity of hem polymerization inhibition if they have an $\mathrm{IC}_{50}$ lower than $\mathrm{IC}_{50}$ of chloro-
quine for antimalarial activity $(0.14 \mu \mathrm{M})$ [8]. Two derivative of aurone, 54 and 55 ( 0.0002 and $0.0001 \mu \mathrm{M}$, respectively) exhibit a considerably higher antimalarial activity than chloroquine does, which is a priority for preparation. In the laboratory, the synthesis of the derivatives of aurone was given priority over the compounds that can be easily synthesized [30]. The $\mathrm{IC}_{50}$ of chloroquine $(0.14 \mu \mathrm{M})$ was considered the standard for determining the derivative of aurone to be recommended for laboratory synthesis. This study only recommends the aurone derivative with IC50 of $<0.14 \mu \mathrm{M}$ [8].

The active sites in the structural skeleton of aurone compounds that exhibit a promising theoretical antimalarial activity are as follows: $-\mathrm{C}_{2} \mathrm{H}_{5}$ bound to the $\mathrm{C}^{\prime}, \mathrm{C} 4^{\prime}$ and $\mathrm{C} 5^{\prime}$ atoms, -OH attached to the C 6 atoms, -Ph attached to the $\mathrm{C} 3^{\prime}$ atoms, -Cl bound to the C 6 atoms, $-\mathrm{CH}_{3}$ linked to the $\mathrm{C} 4^{\prime}$ and $\mathrm{C}^{\prime}$ atoms, and $-\left(N\right.$-pyridin- $\left.3^{\prime}-\mathrm{NH}_{2}\right) \mathrm{F}^{-}$attached to the C 6 atom (Table-6).

## Conclusion

From the optimal model of QSAR equation, the relationship between the independent variables and antimalarial activity of the 16 derivatives of aurone was acquired. $\log \mathrm{IC}_{50}$ $=119.652-294.829(\mathrm{qO} 1)+294.933(\mathrm{qC} 2)-311.852(\mathrm{qC} 3)$ $-9.843(\mathrm{qC} 6)-21.497(\mathrm{qC7})+224.908(\mathrm{qC10})-26.997\left(\mathrm{qC} 2^{\prime}\right)$ $+9.608\left(\mathrm{qC}^{\prime}\right)+11.868\left(\mathrm{qC}^{\prime}\right)+0.186(\mu)+2.155\left(\mathrm{E}_{\text {LUMO }}\right)+$ 0.007 ( $\left.\mathrm{E}_{\text {номо }}\right)+0.254(\log \mathrm{P}) ;\left(\mathrm{r}^{2}\right)=0.992, \mathrm{r}=0.996, \mathrm{t}_{\text {calculate }} /$ $\mathrm{t}_{\text {table }}=3.096$, Fcalculate $/$ Ftable $=2.206, \mathrm{SE}=0.052$, and PRESS $=6,505$. According to model 2 of the QSAR equation, qO 1 , qC2, qC3, qC6, qC7, qC10, qC2', qC4', qC6', $\mathrm{E}_{\text {Номо }}$, $\mathrm{E}_{\text {Luмо }}, \mu$ and $\log \mathrm{P}$ are the variables influencing the $\mathrm{IC}_{50}$ of aurone derivatives. A total of 40 new derivatives of aurone were modelled on the basis of the influential variables. The six designed derivatives of aurone that are recommended to be prepared and that exhibit a high antimalarial activity include $\mathbf{5 4}, \mathbf{5 5}, 58$, 59, 60 and 61. Compounds 54 and 55 ( 0.0002 and $0.0001 \mu \mathrm{M}$, respectively) exhibit a higher antimalarial activity than chloroquine $(0.14 \mu \mathrm{M})$ does, which is a priority for preparation.

TABLE-6
STRUCTURE OF AURONE COMPOUNDS DERIVED FROM MODELING RESULTS RECOMMENDED FOR SYNTHESIS IN THE LABORATORY


| Comp. | Atom/functional group |  |  |  |  | $\stackrel{\log \mathrm{IC}_{50}}{\text { predicted }(\mu \mathrm{M})}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | R6 | R2' | R3' | R4' | R5' |  |
| 54 | OH | $\mathrm{C}_{2} \mathrm{H}_{5}$ | Ph | $\mathrm{CH}_{3}$ | $\mathrm{C}_{2} \mathrm{H}_{5}$ | 0.0002 |
| 55 | OH | $\mathrm{C}_{2} \mathrm{H}_{5}$ | Ph | $\mathrm{C}_{2} \mathrm{H}_{5}$ | $\mathrm{C}_{2} \mathrm{H}_{5}$ | 0.0001 |
| 58 | Cl | $\mathrm{C}_{2} \mathrm{H}_{5}$ | Ph | $\mathrm{CH}_{3}$ | $\mathrm{C}_{2} \mathrm{H}_{5}$ | 0.0527 |
| 59 | Cl | $\mathrm{C}_{2} \mathrm{H}_{5}$ | Ph | $\mathrm{C}_{2} \mathrm{H}_{5}$ | $\mathrm{C}_{2} \mathrm{H}_{5}$ | 0.0586 |
| 60 | -(N-Pyridin-3'- $\mathrm{NH}_{2}$ ) F | $\mathrm{C}_{2} \mathrm{H}_{5}$ | Ph | $\mathrm{CH}_{3}$ | $\mathrm{CH}_{3}$ | 0.0054 |
| 61 | -( N -Pyridin-3'- $\mathrm{NH}_{2}$ ) F | $\mathrm{C}_{2} \mathrm{H}_{5}$ | Ph | $\mathrm{C}_{2} \mathrm{H}_{5}$ | $\mathrm{CH}_{3}$ | 0.0076 |

## CONFLICT OF INTEREST

The authors declare that there is no conflict of interests regarding the publication of this article.

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